

# Domain Specific Languages

## 1: Defining and Implementing Languages

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# Introduction

- Domain Specific Language (DSL)
  - notation oriented to some problem domain
  - specialised types & control structures
- *DSL is a library + syntax*
  - library: what it can do
  - syntax: how to tell it what to do

# Where do DSLs come from?

- tiresome writing lots of small programs for same problem area
- end up using same set of:
  - programming tropes
  - abstractions
    - types
    - control

# Where do DSLs come from?

- construct an ad hoc command based framework
  - scripts to invoke and configure individual program components
- nice to deploy:
  - consistent notation oriented to problem area
  - built in constructs capturing specialised abstractions
- how to define & implement languages?

# Language

- symbolic system for communicating state changing meanings
- components:
  - alphabet
  - symbols/lexicon
  - syntax
  - semantics

# Example

- calculator language
  - integers
  - define variables
  - expressions output values

- e.g.

`a = 7;`

`b = 4;`

`a * (b + 4) ==> 56`

# Medium

- how utterances are conveyed
- must be capable of bearing distinguishable units of difference
  - sounds in air
  - marks on paper
  - electro-magnetic waves
  - charges in transistors
- fundamental but not relevant...

# Alphabet

- basic distinguishable units of expression
- not meaningful in themselves
- e.g.

*letter:* a b c d . . . z

*digit:* 0 1 2 3 . . . 9

*punctuation:* + - \* / ( ) = ;



# Symbols/lexicon

- “words” in “dictionary”
- alphabet sequences
- smallest meaningful units
- list them
- regular expressions/Chomsky Type 3
- e.g.

*operator* -> + | - | \* | / | ( | ) | ; | =

*identifier* -> letter | letter identifier

e.g. a be sea

# Symbols/lexicon

- e.g.

*integer* -> *digit* | *positive int*

*positive* -> 1 | 2 ... | 9

*int* -> *digit* | *digit int*

e.g. 0 12 45700 **but not** 00 012

# Syntax

- grammar
- well formed symbol sequences
- not necessarily meaningful
- concrete syntax
  - representational structure
- abstract syntax
  - meaningful structure

# Concrete Syntax

- context free/Chomsky Type 2
- Backus Naur Form (BNF)
- e.g.

*commands* -> *command* | *command* ; *commands*

*command* -> *identifier* = *expression* | *expression*

*expression* -> *term* | *term* + *term* | *term* - *term*

*term* -> *base* | *base* \* *base* | *base* / *base*

*base* -> *identifier* | *integer* | ( *expression* )

# Concrete Syntax

- use grammar to:
  - parse symbol sequence
  - build internal representation
    - parse tree

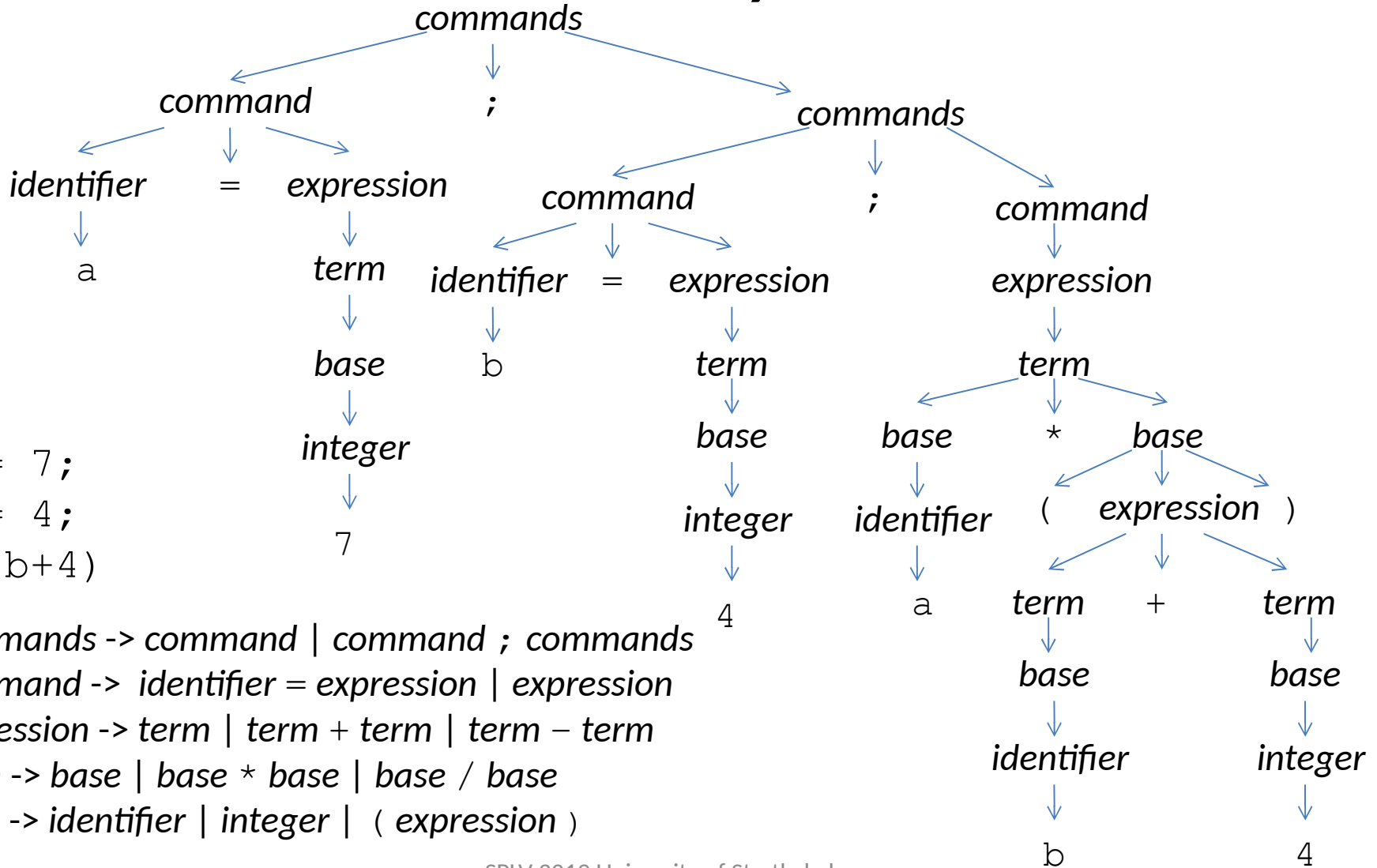
e.g.

```
a = 7;
```

```
b = 4;
```

```
a * (b + 4)
```

# Concrete Syntax



a = 7;  
 b = 4;  
 a\* (b+4)

*commands* -> *command* | *command* ; *commands*  
*command* -> *identifier* = *expression* | *expression*  
*expression* -> *term* | *term* + *term* | *term* - *term*  
*term* -> *base* | *base* \* *base* | *base* / *base*  
*base* -> *identifier* | *integer* | ( *expression* )

# Abstract Syntax

- concrete syntax contains irrelevant information for meaning
- e.g. don't care that:

7 is

*integer is*

*base is*

*term is*

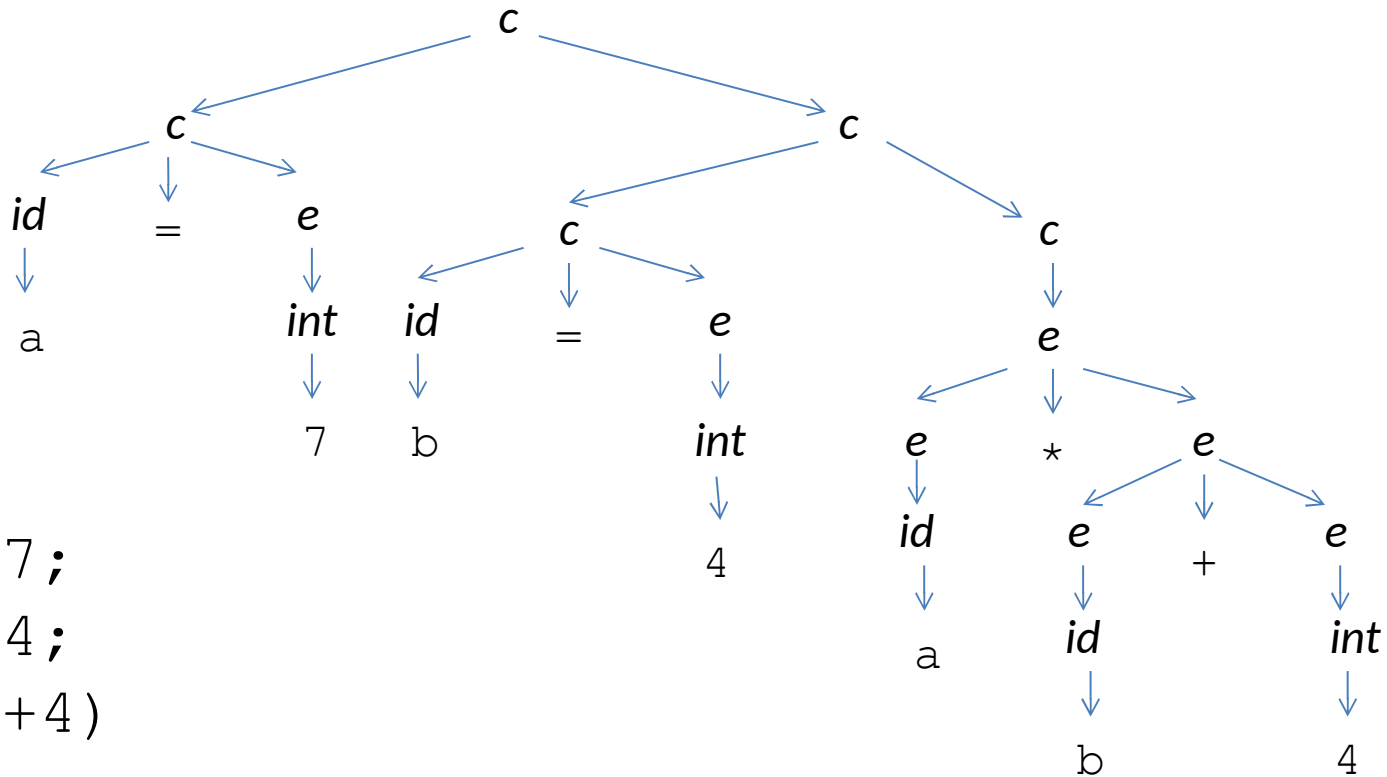
*expression*

# Abstract Syntax

- simplify grammar
  - to reflect key constructs
  - e.g. *commands & expressions with identifiers & integers*
  - drop irrelevant punctuation e.g. ; ( . . . )
- $c \rightarrow c c \mid id = e \mid e$
- $e \rightarrow id \mid int \mid e + e \mid e - e \mid e * e \mid e / e$
- doesn't matter that grammar is ambiguous
- use to derive structure of abstract syntax tree



# Abstract Syntax



`a = 7;`  
`b = 4;`  
`a * (b + 4)`

$c \rightarrow cc \mid id = e \mid e$

$e \rightarrow id \mid int \mid e + e \mid e - e \mid e * e \mid e / e$

# Semantics

- what constructs mean
- express in meta-language
  - informal – natural language
  - formal – some theory of computability
    - e.g. number theoretic predicate calculus
    - e.g. set theory
  - static semantics: types
  - dynamic semantics: run time behaviour

# Semantics

- dynamic
- denotational semantics
- Scott-Strachey
  - meanings expressed as functions
  - $\lambda$  calculus with syntactic sugar
  - compositional on abstract syntax

# Semantics

state: *identifier*  $\rightarrow$  integer

- state maps syntactic *identifiers* to semantic integers

me: *expression*  $\rightarrow$  state  $\rightarrow$  integer

- meaning of an *expression* given a state is an integer

mc: *command*  $\rightarrow$  state \* output  $\rightarrow$  state \* output

- meaning of a *command* given a old state and old output is a new state and new output

# Semantics

$\text{me } [int] \text{ state} = \text{value}([int])$

- $\text{value} ==$  valuation function from syntactic  $int$  to semantic integer

$\text{me } [id] \text{ state} = \text{state}([id])$

- apply state to  $id$  to return associated integer

$\text{me } [e_1 + e_2] \text{ state} = \text{m } [e_1] \text{ state} + \text{m } [e_2] \text{ state}$

$\text{me } [e_1 - e_2] \text{ state} = \text{m } [e_1] \text{ state} - \text{m } [e_2] \text{ state}$

$\text{me } [e_1 * e_2] \text{ state} = \text{m } [e_1] \text{ state} * \text{m } [e_2] \text{ state}$

$\text{me } [e_1 / e_2] \text{ state} = \text{m } [e_1] \text{ state} / \text{m } [e_2] \text{ state}$

# Semantics

$mc [c_1 c_2] (\text{state}, \text{output}) =$

$mc [c_2] (mc [c_1] (\text{state}, \text{output}))$

- meaning of command sequence given old state and output is:
  - meaning of  $c_2$  using state and output from...
  - meaning of  $c_1$  with old state and output

# Semantics

$mc [id = e] (state, output) =$   
 $(state\{id/(me [e] state)\}, output)$

- meaning of definition given old state and output is:
  - old state updated with  $id$  associated with value of  $e$  in old state
  - old output

# Semantics

$mc [e] (state, output) = (state, output ++ me [e] state)$

- meaning of expression given old state and output is:
  - old state, and
  - old output augmented with value of expression in old state



# Semantics

$\epsilon$  == empty state

$\{\}$  == empty output

$\text{mc} [a=7 ; b=4 ; a^* (b+4) ] (\epsilon, \{\}) \quad \underline{\text{H}}$

$\text{mc} [b=4 ; a^* (b+4) ] (\text{mc} [a=7] (\epsilon, \{\}))$

$\text{mc} [a^* (b+4) ] (\text{mc} [b=4] (\text{mc} [a=7] (\epsilon, \{\}))) \quad \underline{\text{H}}$

$\text{mc} [a^* (b+4) ] (\text{mc} [b=4] (\{a \rightarrow 7\}, \{\})) \quad \underline{\text{H}}$

$\text{mc} [a^* (b+4) ] (\{b \rightarrow 4, a \rightarrow 7\}, \{\}) \quad \underline{\text{H}}$

$(\{b \rightarrow 4, a \rightarrow 7\}, \{\text{me} [a^* (b+4) ] \{b \rightarrow 4, a \rightarrow 7\}\}) \quad \underline{\text{H}}$

# Semantics

$(\{b \rightarrow 4, a \rightarrow 7\}, \{me [a] \{b \rightarrow 4, a \rightarrow 7\}^* \\ me [b+4] \{b \rightarrow 4, a \rightarrow 7\}\}) \quad \underline{\underline{H}}$

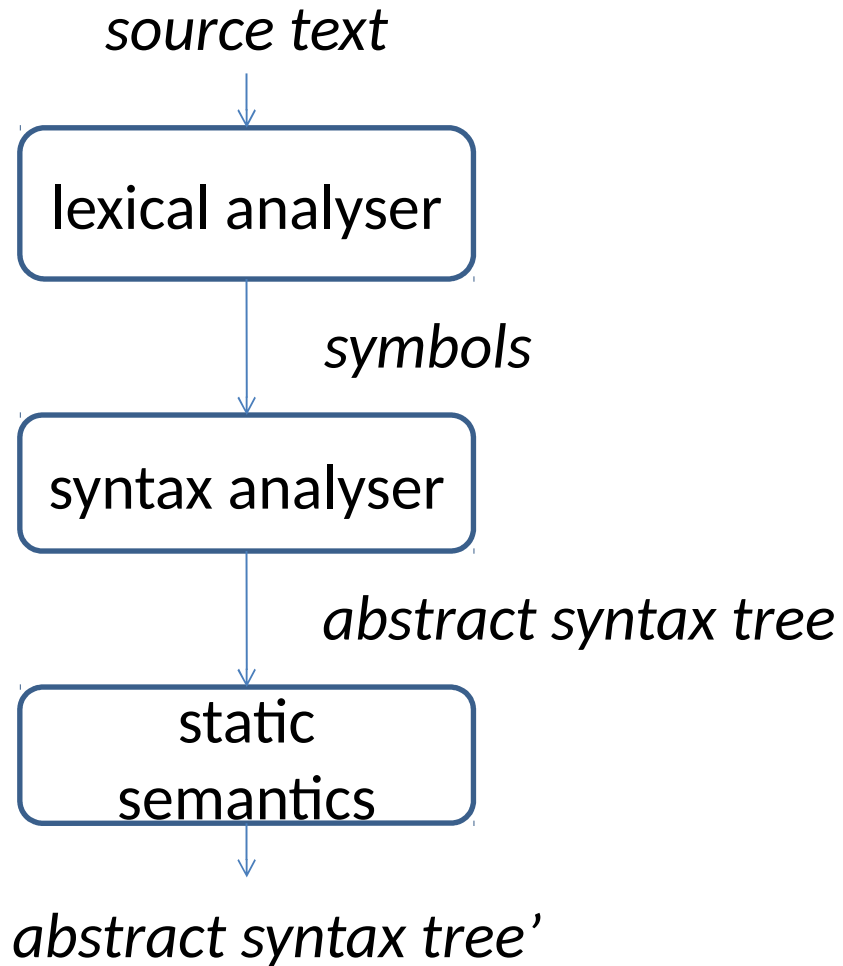
$(\{b \rightarrow 4, a \rightarrow 7\}, \{me [a] \{b \rightarrow 4, a \rightarrow 7\}^* \\ (me [b] \{b \rightarrow 4, a \rightarrow 7\} + \\ me [4] \{b \rightarrow 4, a \rightarrow 7\})\}) \quad \underline{\underline{H}}$

$(\{b \rightarrow 4, a \rightarrow 7\}, \{7^*(4+4)\}) \quad \underline{\underline{H}}$

$(\{b \rightarrow 4, a \rightarrow 7\}, \{56\})$

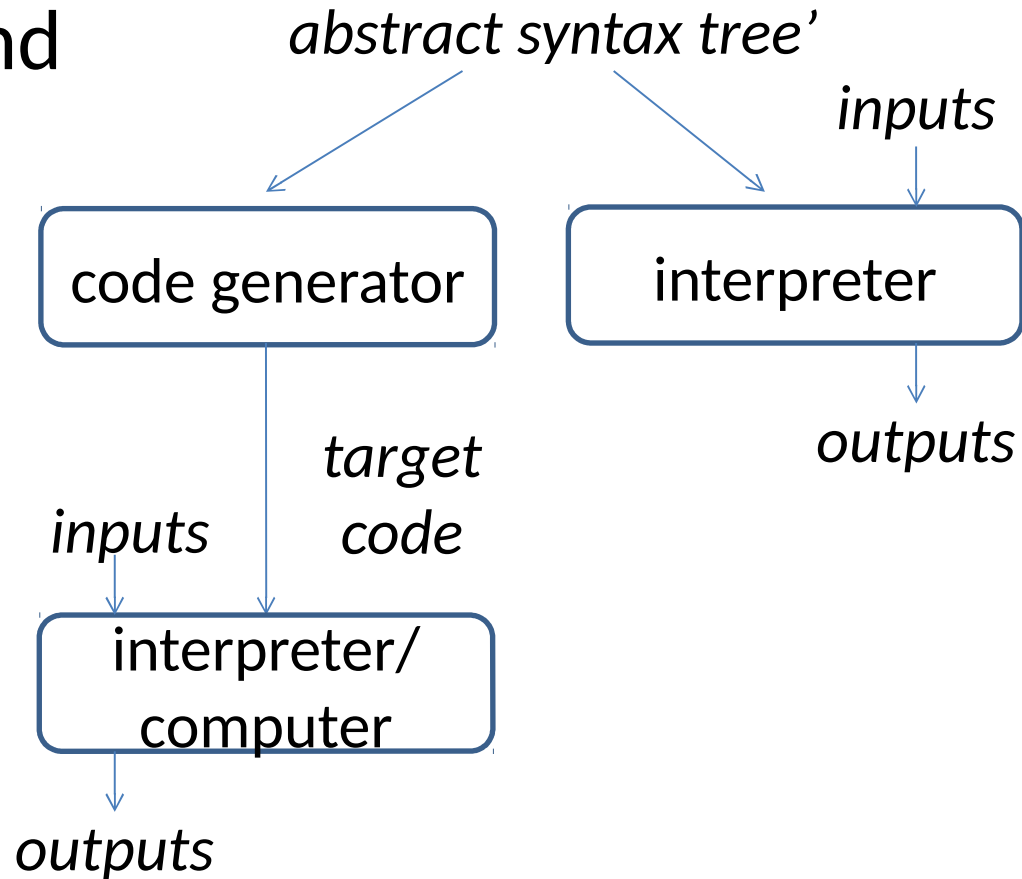
# Implementation

- front end



# Implementation

- back end



# Interpreter

- implement in Haskell
- choose AST representation

$c \rightarrow c c \mid id = e \mid e$

$e \rightarrow id \mid int \mid e + e \mid e - e \mid e * e \mid e / e$

```
data SYMBOL = SADD | SSUB | SMULT | SDIV | ...
```

```
data AST = ID String | INT Int |  
          DEF (AST, AST) |  
          EXP (SYMBOL, AST, AST)
```

```
cc == [AST]
```

# Interpreter

```
data SYMBOL = SADD | SSUB | SMULT | SDIV | ...
```

```
data AST = ID String | INT Int |  
          DEF (AST, AST) |  
          EXP (SYMBOL, AST, AST)
```

```
a = 7;
```

```
b = 4;
```

```
a* (b+4)   
```

```
[DEF (ID "a", INT 7) ,
```

```
DEF (ID "b", INT 4) ,
```

```
EXP (SMULT, ID "a", EXP (SADD, ID "b", INT 4) ) ]
```

# Interpreter

- choose representations for semantic entities
  - *identifier* == `String`
  - *integer* == `Int`
- could model state as higher order function
- more flexible to use data structure + look up
- e.g. list

state: *identifier* -> integer  $\equiv$  [ (`String`, `Int`) ]

e.g. ({b->4, a->7}  $\equiv$  [ ("b", 4) , ("a", 7) ]

# Interpreter

$mc: \textit{command} \rightarrow \textit{state} * \textit{output} \rightarrow \textit{state} * \textit{output}$

$mc [c_1 c_2] (\textit{state}, \textit{output}) = mc [c_2] (mc [c_1] (\textit{state}, \textit{output}))$

$mCs :: [AST] \rightarrow$

$([(String, Int)], [Int]) \rightarrow$

$([(String, Int)], [Int])$

$mCs [] (\textit{state}, \textit{output}) = (\textit{state}, \textit{output})$

$mCs (c1:c2) (\textit{state}, \textit{output}) =$

$mCs c2 (mC c1 (\textit{state}, \textit{output}))$



# Interpreter

`mc [id = e] (state,output) =`

`(state{id/(me [e] state)}, output)`

`mc [e] (state,output) = (state, output++me [e] state)`

`mC :: AST -> ([ (String, Int) ], [Int]) ->`

`([ (String, Int) ], [Int])`

`mC (DEF (ID i, e)) (state, output) =`

`((i, mE e state) : state, output)`

`mC e (state, output) =`

`(state, output++[mE e state])`

# Interpreter

me: *expression* -> state -> integer

me [int] state = value([int])

me [id] state = state([id])

```
mE :: AST -> [(String, Int)] -> Int
```

```
mE (INT n) _ = n
```

```
mE (ID i) state = lookUp i state
```

```
lookUp v [] = error ("can't find "++v++"\n")
```

```
lookUp v ((v1, i1):t) = if v==v1
                        then i1
                        else lookUp v t
```

# Interpreter

$m_e [e_1 + e_2] \text{ state} = m [e_1] \text{ state} + m [e_2] \text{ state}$

$m_e [e_1 - e_2] \text{ state} = m [e_1] \text{ state} - m [e_2] \text{ state}$

$m_e [e_1 * e_2] \text{ state} = m [e_1] \text{ state} * m [e_2] \text{ state}$

$m_e [e_1 / e_2] \text{ state} = m [e_1] \text{ state} / m [e_2] \text{ state}$

`mE (EXP(SADD,e1,e2)) state =  
 (mE e1 state) + (mE e2 state)`

`mE (EXP(SSUB,e1,e2)) state =  
 (mE e1 state) - (mE e2 state)`

`mE (EXP(SMULT,e1,e2)) state =  
 (mE e1 state) * (mE e2 state)`

`mE (EXP(SDIV,e1,e2)) state =  
 (mE e1 state) `div` (mE e2 state)`